Math Station 1 $p^{2+2pq+q^{2}=1}$

HARDY-WEINBERG EQUATIONS

- p = frequency of the dominant allele in a population
- q = frequency of the recessive allele in a population

A population of beavers revealed that 12 of them show a rare recessive condition. The other 88 beavers in this population show no condition.

If this population is in Hardy Weinberg equilibrium, what is the frequency of the dominant allele?

Give your answer to the nearest hundredth

Math Station 2 $p^{2+2pq+q^{2}=1}$

HARDY-WEINBERG EQUATIONS

- p = frequency of the dominant allele in a population
- q = frequency of the recessive allele in a population

A population of cacti revealed that 21% have a dominant condition.

If this population is in Hardy Weinberg equilibrium, what is the frequency of the heterozygous?

Give your <u>answer</u> to the nearest tenths place

Math Station 3

40 fruit flies were put in a choice chamber. The results of their location are shown below:

Time	Number of fruit	Number of fruit	
	flies on orange	flies on apple	
$0 \min$	20	20	
10 min	8	32	

Determine **the chi square value after 10 min.** Round to the <u>nearest whole number</u>.

Chi-Square	
$\chi^2 = \sum$	$\frac{(O-E)^2}{E}$

			CHI-2	UUAKE	IABLE			
			Degre	es of Fr	eedom			
р	1	2	3	4	5	6	7	8
0.05	3.84	5.99	7.82	9.49	11.07	12.59	14.07	15.51
0.01	6.64	9.32	11.34	13.28	15.09	16.81	18.48	20.09

Math Station 4

Chi-Square	
$\chi^2 = \sum \frac{(O-E)}{E}$	2
CHI-SQUARE TABL	E
Degrees of Freedo	n

In pea plants, purple (P) is dominant to white (p). One hundred purple pea plants were crossed in the P generation. The results of the F1 are shown below:

Phenotype	Number
	observed in F1
Purple	63
White	37

Determine the chi square value.

Round to the <u>nearest tenths place</u>.

Math Station 5

Standard Error $SE_{\overline{x}} = \frac{s}{\sqrt{n}}$ Standard Deviation $S = \sqrt{\frac{\sum (x_i - \overline{x})^2}{n-1}}$

A sample of lizards in the Caribbean show variation in their back-leg length.

Given the following data, determine the standard error for this data.

Length(cm): 2.0, 2.2, 3.2, and 2.5

Calculate the standard error.

Round the answer to the <u>nearest hundredth.</u>

Math Station 6

RATE AND GROWTH		
Rate	dY= amount of change	
dY/dt	t = time	
Population Growth	B = birth rate	
dN/dt=B-D	D = death rate	
Exponential Growth	N = population size	
$\frac{dN}{dN} = c N$	K = carrying capacity	
dt - max's	r _{ess} = maximum per capita growth rate of population	
$\frac{dN}{k} = r_{max}N\left(\frac{K-N}{r}\right)$		

A population of Spotted Fritillary butterflies has 200 individuals and this population exhibits logistic growth. If the carrying capacity is 500 butterflies and r = 0.1individuals/(individuals x month), what is the maximum population growth rate for the population?

Round your answer to the <u>nearest tenths.</u>

Math Station 7

The molar concentration of a sugar solution in an open beaker has been determined to be 0.3M. Calculate the solute potential at 27 degrees Celsius. Water Potential (Ψ) $\Psi = \Psi p + \Psi s$ $\Psi p = pressure potential$ $\Psi s = solute potential$ The water potential will be equal to the solute potential of a solution in an open container, since the pressure potential of the solution in an open container is zero. **The Solute Potential of the Solution** $\Psi s = -iCRT$ i = ionization constant (For sucrosethis is 1.0 because sucrose does notionize in water.)<math>C = molar concentration

- R = pressure constant (R = 0.0831 liter bars/mole K)
- T = temperature in Kelvin (273 + °C)

Round your answer to the <u>nearest tenths</u>.

Math Station 8

Temperature Coefficient Q ₁₀	$t_{y} =$ higher temperature
$Q_{10} = \left(\frac{k_2}{k_1}\right)^{\frac{10}{p_1 - k_1}}$ Primary Productivity Calculation mg O ₂ /L x 0.698 = mL O ₂ /L mL O ₂ /L x 0.536 = mg carbon fixed/L	t ₁ = lower temperature k ₂ = metabolic rate at t ₂ k ₁ = metabolic rate at t ₁ Q ₁₀ = the <i>factor</i> by which the reaction rate increases when the temperature is raised by ten degrees

Data taken to determine the effect of temperature on the rate of respiration in a lizard is given in the table below.

Temperature (C)	Heart Rate
15	60
25	100

Calculate Q₁₀ for this data.

Round to the <u>nearest whole number</u>.

SURFACE ARE	A AND VOLUME
Volume of a Sphere	r = radius
$V = 4/3 \pi r^3$	I = length
Volume of a Cube (or Square Column)	h = height
$\mathbf{V} = \mathbf{I} \mathbf{w} \mathbf{h}$	w = width
Volume of a Column	A = surface area
$V = \pi r^2 h$	V = volume
Surface Area of a Sphere	$\Sigma = Sum of all$
$A = 4 \pi r^2$	a = surface area of one side of the cube
Surface Area of a Cube	
A = 6 a	
Surface Area of a Rectangular Solid	
$A = \Sigma$ (surface area of each side)	

Math Station 9



What is the Surface Area/Volume ratio for this cell?

Round your answer to the <u>nearest</u> <u>hundredths.</u>

$\label{eq:constraint} \begin{array}{l} \textbf{Dilution}-\textbf{used to create a dilute}\\ \textbf{solution from a concentrated stock}\\ \textbf{solution}\\ C_i V_i = C_f V_f\\ i = \text{initial (starting)}\\ C = \text{concentration of solute}\\ f = \text{final (desired)}\\ V = \text{volume of solution} \end{array}$

A student has a 2 g/L solution. He dilutes it and creates 3 L of a 1 g/L solution.

How much volume of the original solution did he dilute?

Round to the nearest tenths.

Math Station 10

°C = (°F - 32) *5/9 °F = °C * 9/5 + 32 K = °C + 273

Gibbs Free Energy $\Delta G = \Delta H - T\Delta S$ ΔG = change in Gibbs free energy ΔS = change in entropy ΔH = change in enthalpy T = absolute temperature (in Kelvin) pH = - log [H+]

Calculate the Gibbs free energy change (${}^{\triangle}G$) for the following chemical reaction: ATP \rightarrow ADP + Pi The reaction occurs at 68 °F, the change in heat (${}^{\triangle}H$) = 19,070 cal, and the change in entropy (${}^{\triangle}S$) = 90 cal/K.

Determine the kcal value.

Round to the <u>nearest tenths place</u>.

Math Station 11

Math Station 12

SURFACE ARE	A AND VOLUME
Volume of a Sphere	r = radius
$V = 4/3 \pi r^3$	I = length
Volume of a Cube (or Square Column)	h = height
$\mathbf{V} = \mathbf{I} \mathbf{w} \mathbf{h}$	w = width
Volume of a Column	A = surface area
$V = \pi r^2 h$	V = volume
Surface Area of a Sphere	$\Sigma = Sum of all$
$A = 4 \pi r^2$	a = surface area of one side of the cube
Surface Area of a Cube	
A = 6 a	
Surface Area of a Rectangular Solid	
$A = \Sigma$ (surface area of each side)	

A student has cut two blocks of phenolphthalein agar to measure the rate of diffusion in a vinegar solution.

- Cube A: 4cm on each side
- Cube B: 2 cm on each side

What the difference in surface area between the two blocks? Round answer to the <u>nearest tenths place</u>.

During AP Review Week, I am doing stations. One station is a concept map for the Big Idea, I assign group. Another is taking practice exam together. Another is reviewing Bozeman videos. The last are these math stations